

## Geometry: Bell Work

Solve the problem in the left column, showing all steps. For each step, explain what you did in the right column. An example is given.

	<u>steps</u>	<u>justification</u>
<b>example</b>	$2x + 2(3x + 4) = 24$	original eqn
$-5(x+4) = 70$	$2x + 6x + 8 = 24$	distribution
$-5 \cdot x + -5 \cdot 4 = 70$	$8x + 8 = 24$	combine like terms
$-5x - 20 = 70$	$-8 \quad -8$	subtract
$-5x - 20 + 20 = 70 + 20$	$8x = 16$	division
$-5x = 90$	$\frac{8x}{8} = \frac{16}{8}$	
$-5x \div (-5) = 90 \div (-5)$	$x = 2$	
$x = -18$		

Pull out Assignment 2.1. Pass it forward

## 2-3 Conditional Statements

We have:

Used inductive reasoning to make conjectures and find counterexamples.

Today we will:

Analyze statements in if-then form, and write the inverse, converse, and contrapositive of if-then statements.

## Conditional Statements Task.

Each seat-pair will need:

- ⊗ If , then . template
- ⊗ Directions
- ⊗ Chart
- ⊗ Index cards with conditional statement

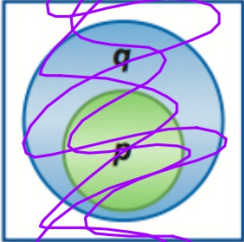
You will **ONLY** write on the chart. Leave all other papers blank!

## Notes

A **conditional statement** is a statement ~~that can~~  
that can be written in *if-then form*.

All birds fly.

If it is a bird, then it can fly.  
P Q

Words	Symbols	Model
An <b>if-then statement</b> is of the form <i>if p, then q.</i>	$p \rightarrow q$ read <i>if p then q,</i> or <i>p implies q</i>	 <p data-bbox="1203 1160 1299 1189"><math>p \rightarrow q</math></p>
The <b>hypothesis</b> of a conditional statement is the phrase immediately following the word <i>if.</i>	$p$	
The <b>conclusion</b> of a conditional statement is the phrase immediately following the word <i>then.</i>	$q$	

Rectangles have 4 sides

Conditional

If it is a rectangle, then it has 4 sides

Converse

If it has 4 sides, then it is a rectangle

Inverse

If, then

contra

<p>A conditional statement is a statement that can be written in the form <i>if p, then q</i>.</p>	$p \rightarrow q$	<p>If <math>m\angle A</math> is 35, then <math>\angle A</math> is an acute angle.</p>
<p>The <b>converse</b> is formed by exchanging the hypothesis and conclusion of the conditional.</p>	$q \rightarrow p$	<p>If <math>\angle A</math> is an acute angle, then <math>m\angle A</math> is 35.</p>
<p>The <b>inverse</b> is formed by negating both the hypothesis and conclusion of the conditional.</p>	$\sim p \rightarrow \sim q$	<p>If <math>m\angle A</math> is <i>not</i> 35, then <math>\angle A</math> is <i>not</i> an acute angle.</p>
<p>The <b>contrapositive</b> is formed by negating both the hypothesis and the conclusion of the converse of the conditional.</p>	$\sim q \rightarrow \sim p$	<p>If <math>\angle A</math> is <i>not</i> an acute angle, then <math>m\angle A</math> is <i>not</i> 35.</p>



conditional

$$P \rightarrow Q$$

if  $P$  then  $Q$

converse

$$Q \rightarrow P$$

if  $Q$  then  $P$

inverse

$$\neg P \rightarrow \neg Q$$

if not  $P$   
then not  $Q$

contrapositive

$$\neg Q \rightarrow \neg P$$

if not  $Q$   
then not  $P$



Statements that have the same truth value (both true or both false) are said to be **logically equivalent**.

- A conditional and its contrapositive are logically equivalent.
- The converse and inverse of a conditional are logically equivalent.

## 2-3 Conditional Statements

Today we:

Analyzed statements in if-then form, and wrote the inverse, converse, and contrapositive of if-then statements.

Assignment:

Pg 109 # 1-10